

Assessing local chlamydia screening performance by combining survey and administrative data to account for differences in local population characteristics

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Introduction

- **Health** inequalities are associated with **social** inequalities, which are strongly linked to geographic **location**.
- UK Marmot Review recommended that health interventions must be **universal** but with a scale and intensity **proportionate** to the level of disadvantage in an area.
- Understand health inequalities at the **local level** but most observational data not (directly) relevant for public health questions at **both** national level and sub-populations.
- Simply compare local areas with the **average** of all local areas to see which ones are above/below average, and by how much?
 - Effectively assumes that the composition of each local area's population is the **same**, when populations can be **very different**.

Data

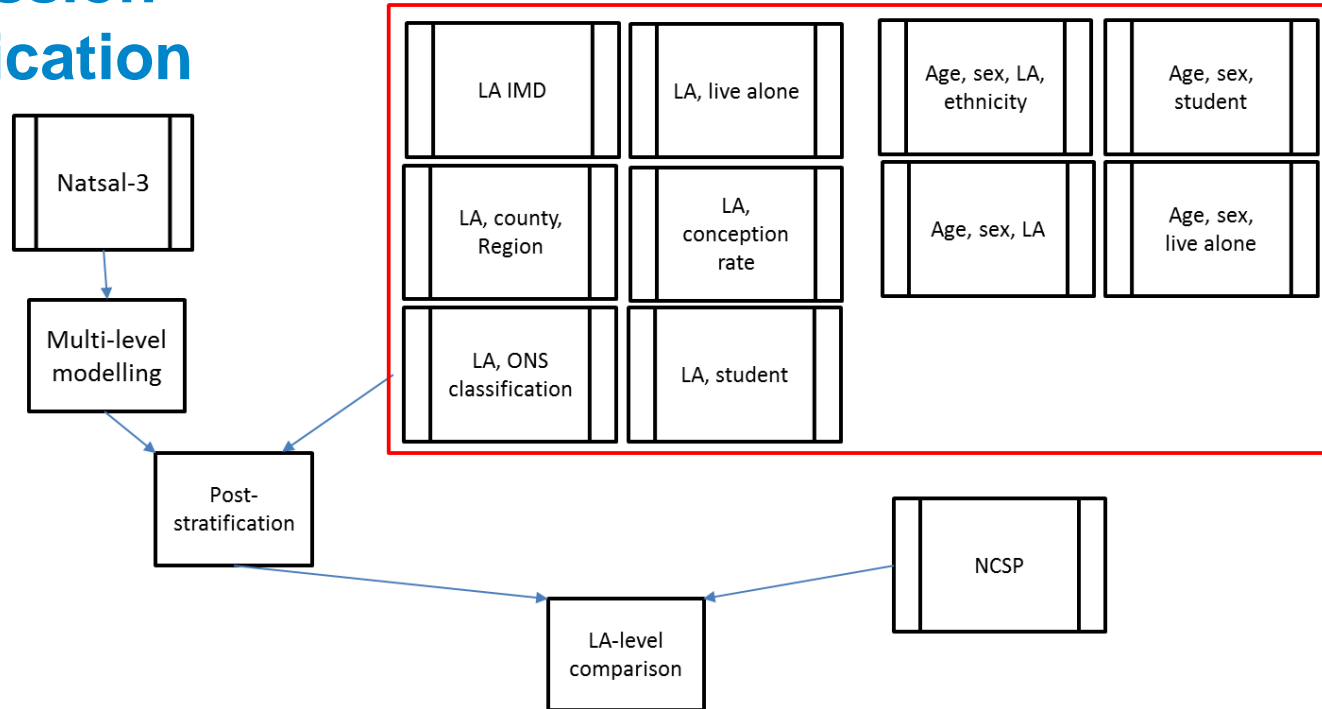
Individual-level testing outcome and social and demographic factors

- Third British National Survey of Sexual Attitudes and Lifestyles (Natsal-3)
 - Nationally-representative probability sample survey of 15,162 people
 - Chlamydia testing in previous year



Natsal

Multilevel regression and post-stratification (MRP)



Model formulae

- Individual-level data multilevel model

$$Pr(y_i = 1) = \text{logit}^{-1} \left(\beta^0 + \alpha_{j[i]}^{age} + \alpha_i^{male} male_i + \alpha_{k[i]}^{ethnicity} + \alpha_i^{student} student_i + \alpha_i^{livealone} livealone_i + \alpha_{m[i]}^{la} + \phi_{m[i]}^{la} \right),$$

$$\alpha_m^{la} \sim N \left(\alpha_m^{IMD} IMD_m + \alpha_{j[m]}^{ONSclass} + \alpha_{l[m]}^{county} + \alpha_{p[m]}^{conception}, \sigma_{la}^2 \right), \quad m = 1, \dots, 326 \text{ local authorities,}$$

$$\alpha_l^{county} \sim N \left(\alpha_{q[l]}^{gors}, \sigma_{county}^2 \right), \quad l = 1, \dots, 83 \text{ counties,}$$

- LA-level estimates by post-stratification

$$p_{la} = \frac{\sum_{j \in S} N_j p_j}{\sum_{j \in S} N_j}$$

Results

